Cryptanalysis of RIPEMD-128/160

Thomas Peyrin

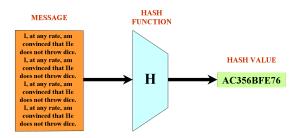
NTU - Singapore

ChinaCrypt 2013

Fuzhou, China - October 25, 2013



What is a Hash Function?



- H maps an **arbitrary length input** (the message M) to a **fixed length output** (typically n = 128, n = 160 or n = 256).
- no secret parameter.
- H must be easy to compute.



pre-image resistance:

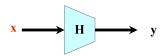
given an output challenge y, the attacker can not find a message x such that H(x) = y, in less than $\theta(2^n)$ operations.

2nd pre-image resistance

given a challenge (x, y) so that H(x) = y, the attacker can not find a message $x' \neq x$ such that H(x') = y, in less than $\theta(2^n)$ operations.

collision resistance

the attacker can not find two messages (x, x') such that H(x) = H(x'), in less than $\theta(2^{n/2})$ operations (a generic attack with the birthday paradox exists [Yuval-79]).



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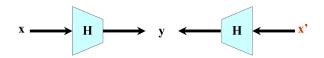
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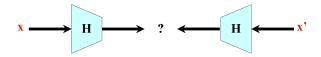
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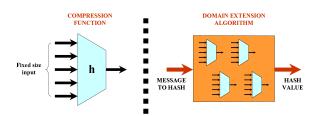
And other ones: near collisions, multicollisions, random oracle look-alike. ...



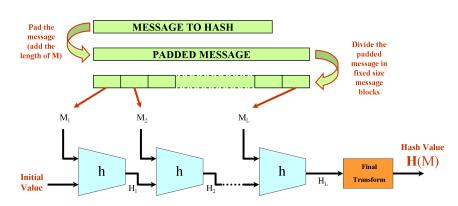
General construction

For historical reasons, most hash functions are composed of two elements:

- a compression function h: a function for which the input and output size is fixed.
- a domain extension algorithm: an iterative process that uses the compression function h so that the hash function H can handle inputs of arbitrary length.



The most famous domain extension algorithm used is called the **Merkle-Damgård** [Merkle Damgård-89] iterative algorithm.





General design and security notions

• A collision on an iterated hash function \mathcal{H} always comes from a collision on the compression function h:

$$\mathcal{H}(M) = \mathcal{H}(M^*) \Longrightarrow h(cv, m) = h(cv^*, m^*)$$

The conditions on cv and m give different kind of attacks:

Collision $cv = cv^*$ fixed and $m \neq m^*$ free.

Semi-free-start Collision $cv = cv^*$ and $m \neq m^*$ are free.

Free-start Collision $(cv, m) \neq (cv^*, m^*)$ are free.

The cryptanalysis history of MD5 is a good example of why (semi)-free-start collisions are a serious warning.



Motivations to study RIPEMD

MDx-like hash function is a very frequent design :

```
1990' MDx (MD4, MD5, SHA-1, HAVAL, RIPEMD)
2002 SHA-2 (SHA-224, ..., SHA-512)
```

Some old hash functions are still unbroken :

```
Broken MD4, MD5, RIPEMD-0
Broken HAVAL
Broken SHA-1
Unbroken RIPEMD-128, RIPEMD-160
Unbroken SHA-2
```

• RIPEMD-128/RIPEMD-160

```
Design 15 years old.
unbroken 9 years after Wang's attacks [WLF+05].
```



Introduction

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Thomas Peyrin

joint work with Franck Landelle

(accepted at Eurocrypt 2013)

ChinaCrypt 2013

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Results on RIPEMD-128 compression function

RIPEMD-128 parameters:

Digest 128 bits

Steps 64 steps (4 rounds of 16 steps each)

Known and new results on RIPEMD-128 compression function:

| Target | #Steps | Complexity | Ref. |
|----------------|--------|--------------------|---------|
| collision | 48 | 2 ⁴⁰ | [MNS12] |
| collision | 60 | 2 ^{57.57} | new |
| collision | 63 | 2 ^{59.91} | new |
| collision | Full | 2 ^{61.57} | new |
| non-randomness | 52 | 2 ¹⁰⁷ | [SW12] |
| non-randomness | Full | 2 ^{59.57} | new |



Function RIPEMD-128 compression function

Attack a semi-free-start collision

Find $cv, m \neq m^* / h(cv, m) = h(cv, m^*)$.

Strategy

- Choose a message difference $\delta_m = m \oplus m^*$
 - → new message difference used
- Find a differential path on all intermediate state variables
 - → new type of differential path with two non-linear parts
- Find conforming cv and m
 - → new branch merging technique for collision search

Outline

Description of RIPEMD-128

Finding a differential path Finding a message difference Finding the non-linear part

Finding a conforming pair Generating a starting point Merging the 2 branches

Conclusion

Introduction

Outline

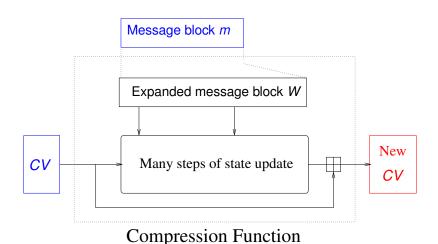
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Finding the non-linear part

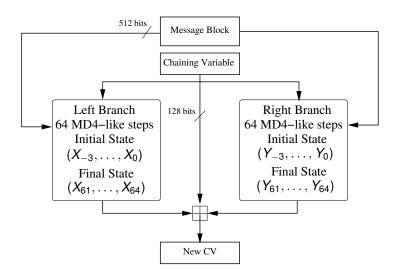
Merging the 2 branches

A compression function

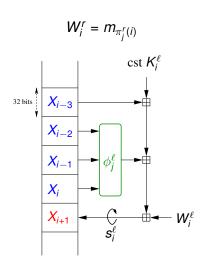
$$m = m_0 ||m_1|| \cdots ||m_{15}||$$



Overview of RIPEMD-128 compression function



The step function



 $W_i^\ell=m_{\pi_i^\ell(i)}$ cst K'

Left Branch - step *i*, round *j*

Right Branch - step *i*, round *j*

The boolean functions

Boolean functions in RIPEMD-128:

- $XOR(x, y, z) := x \oplus y \oplus z$,
- $\mathsf{IF}(x, y, z) := x \wedge y \oplus \bar{x} \wedge z$
- ONX $(x, y, z) := (x \lor \bar{y}) \oplus z$

| Steps i | Round j | $\phi_j^\ell(x,y,z)$ | $\phi_j^r(x,y,z)$ |
|----------|---------|----------------------|-------------------|
| 0 to 15 | 0 | XOR(x, y, z) | IF(z, x, y) |
| 16 to 31 | 1 | IF(x, y, z) | ONX(x, y, z) |
| 32 to 47 | 2 | ONX(x, y, z) | IF(x, y, z) |
| 48 to 63 | 3 | IF(z, x, y) | XOR(x, y, z) |

Outline

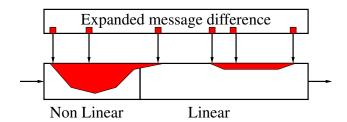
Finding a differential path

Finding the non-linear part

Merging the 2 branches

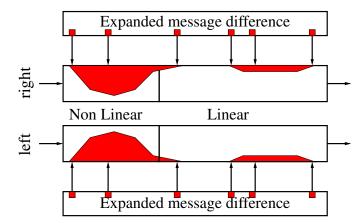
The classical strategy (example SHA-1)

- 1. Find a message difference δ_m and a differential path with high probability on the middle and last steps (ideally after the first round).
- 2. Find a "realistic" non-linear differential path on the first steps (ideally on the first round for a semi-free-start collision).
- 3. Find a chaining variable *cv* and a message *m* such that the state differential path is followed (use special freedom degrees tricks like neutral bits, message modification, boomerangs, etc.).



The classical strategy (example RIPEMD-128)

- 1. Find a message difference δ_m and a differential path with high probability on the middle and last steps for both branches.
- 2. Find a "realistic" non-linear differential path on the first steps.
- 3. Find a conforming chaining variable *cv* and a message *m*.





What shape should have the differential path?

Boolean functions can help to control the diff. propagation.

Properties of the boolean functions:

- XOR: no control of differential propagation
- ONX: some control of differential propagation and permits low diffusion.
- IF: a good control of differential propagation and permits no diffusion.

| Steps i | Round j | $\phi_j^l(x,y,z)$ | $\phi_j^r(x,y,z)$ |
|----------|---------|-------------------|-------------------|
| 0 to 15 | 0 | XOR(x, y, z) | IF(Z, X, y) |
| 16 to 31 | 1 | IF(x, y, z) | ONX(x, y, z) |
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Outline

Description of RIPEMD-128

Finding a differential path Finding a message difference

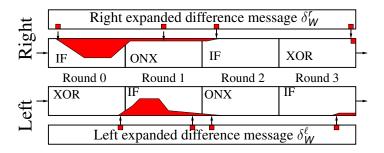
Finding a conforming pair

Merging the 2 branches

Conclusion

Choosing the message block difference

Goals keep low ham. weight on the expanded message block Choice Put a difference on a single word of message



With the message block difference on m_{14} :

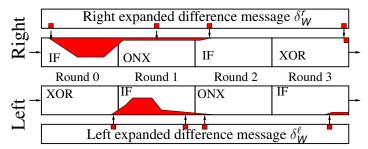
- "no difference" on rounds with XOR function.
- Non-linear differential paths are in the round with IF



Choosing the message block difference

 m_{14} is really "**magic**" with regards to our criteria.

However, how to handle these two non-linear parts which are in different branches, and not in the first round?





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Automatic tool on generalized conditions

We implemented a tool similar to [CR06] for SHA-1 that uses generalized conditions.

| | (b, b^*) | (0,0) | (1,0) | (0, 1) | (1, 1) |
|------|------------|-------|-------|--------|--------|
| Hexa | Notation | | | | |
| 0xF | ? | ✓ | ✓ | ✓ | ✓ |
| 0x9 | _ | ✓ | | | ✓ |
| 0x6 | Х | | ✓ | ✓ | |
| 0x1 | 0 | ✓ | | | |
| 0x2 | u | | ✓ | | |
| 0x4 | n | | | ✓ | |
| 0x8 | 1 | | | | ✓ |

Where

- b: a bit during the treatment the message m
- b*: the same bit for the second message m*.



Left branch

| Step | Xi | Wi | Пі |
|---------|--------------------------------|-------|-----|
| | | | 13 |
| 14: | | - x | 14 |
| 15: ??? | ????????????????????????????? | ? | 15 |
| 16: ??? | ???????????????????????????? | ? | 7 |
| 17: ??? | ???????????????????????????? | ? | 4 |
| 18: ??? | ???????????????????????????? | ? | 13 |
| 19: ??? | ???????????????????????????? | ? | 1 |
| 20: ??? | ?????????????????????????????? | ? | 10 |
| 21: ??? | ???????????????????????????? | ? | 6 |
| 22: ??? | ???????????????????????????? | ? | 15 |
| 23: ??? | ?????????????????????????????? | ? | |
| 24: ??? | ?????????????????????????????? | ? | 12 |
| 25: ??? | ?????????????????????????????? | ? | · 0 |
| 26: | u | . | 9 |
| 27: 1 | 0u | . | 5 |
| 28: 0 | 1 | . | 2 |
| 29: n | 1 | - x | 14 |
| 30: u | | . | 11 |
| 31: u | | . | |
| | | | |
| | | ı | _ |
| 55. | | . x | |
| | | . ^ | -: |



Left branch

| Step Xi 13: | 1 | Wi | Πi 13 |
|------------------------|--------|----|----------|
| 14: | ı | | 14 |
| 15: | .n ^ | | 15 |
| 16:unnnn | -0i | | 7 |
| 17:n00000 | -1 1 | | 4 |
| 18:001111 | | | 13 |
| 19:u1n | - 1 | | 1 |
| 20:0 | - 1 | | 10 |
| 21:11 | | | - 6 |
| 22:unnnn | | | 15 |
| 23:00000 24:n-11101 | | | 12 |
| 25:n-0 | . ! | | 0 |
| 26:u0-1 | - 1 | | 9 |
| 27: 101-u | ı | | 5 |
| 28: 010 | | | 2 |
| 29: n1 | x | | 14 |
| 30: u | · | | 11 |
| 31: u | | | 8 |
| 32: 1 | | | 3 |
| 33: | ı | | 10 |
| 34: | 1 ^ | | 14 |
| 35: | 1 | | 4 |

Right branch

| Step | o Yi | Wi | πi |
|------|---------------------------------|----|----|
| : | | | |
| : | | | |
| : | | | |
| : | | | 5 |
| 01: | | x | 14 |
| 02: | ??????????????????????????????? | | 7 |
| 03: | ?????????????????????????????? | | 0 |
| 04: | ??????????????????????????????? | | 9 |
| 05: | ??????????????????????????????? | | 2 |
| 06: | ?????????????????????????????? | | 11 |
| 07: | ?????????????????????????????? | | 4 |
| 08: | ??????????????????????????????? | | 13 |
| 09: | ?????????????????????????????? | | 6 |
| 10: | ?????????????????????????????? | | 15 |
| 11: | ??????????????????????????????? | | 8 |
| 12: | ?????????????????????????????? | | 1 |
| 13: | ?????????????????????????????? | | 10 |
| 14: | ??????????????????????????????? | | 3 |
| 15: | u | | 12 |
| 16: | uu | | 6 |
| 17: | u-0u | | 11 |
| 18: | u0 | | 3 |
| 19: | 00 | | 7 |
| 20. | 11 | 1 | Λ |

Υi Wi Step Πi ----------: -----0----01: -----1----x-----02: ----n----n 03: -----04: --0000000-----_____ 9 05: --11111111-----______ 06: --nuuuuuu-----_____ 07: --01-----0-000 --1-----08: -01-----0-011 09: -1----n-nn 10: 1n010000-----_____ 001111111-----00--0nu-n-----12: nuuuuuuu----11--11--0-----13: -----_____ 14: -----1----01----u------15: -----u---10----0-----_____ 16: ----0-11----1 _____ 17: ----u-0----u------_____ 18: ----u----0-----19: 0----0 20: 11----------

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Finding a differential path
Finding a message difference
Finding the non-linear part

Finding a conforming pair

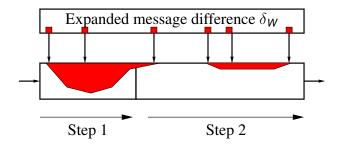
Generating a starting point Merging the 2 branches

Conclusion

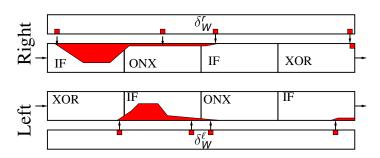
Following a classical differential path

A classical collision search is composed of two subparts:

- step 1 handling the low-probability non-linear parts using the message block freedom
- step 2 the remaining steps in both branches are verified probabilistically



Finding a conforming pair

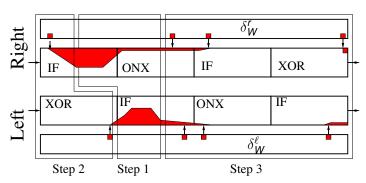


Our collision search is composed of three subparts:

- step 1 Satisfy the two non-linear parts using the freedom from both branches internal states and a few message words
- step 2 From this **starting point**, merge the two branches using some remaining free message words
- step 3 Handle probabilistically the linear part in both branches



Finding a conforming pair



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- step 1 Satisfy the two non-linear parts using the freedom from both branches internal states and a few message words
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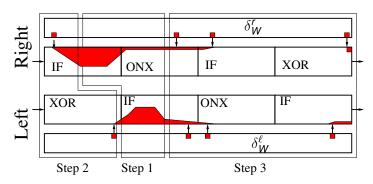
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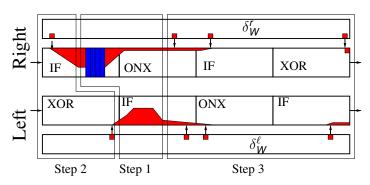
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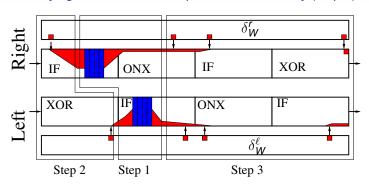
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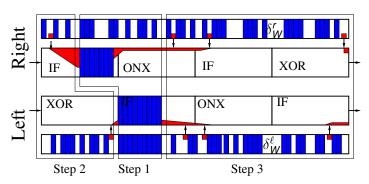
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Handling probabilistically the linear parts (step 3)

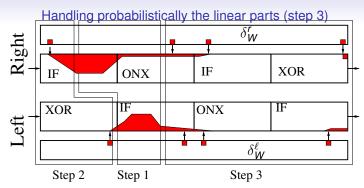
Probabilities of the linear parts are fixed after the first step:

- The probability of the left branch is 2^{-15} .
- The probability of the right branch is $2^{-14.32}$.
- one extra bit condition in order to get a collision when adding the two branches
- \rightarrow The overall probability for collision is $2^{-30.32}$.

(these probabilities have been verified experimentally)

- step 1 Satisfy the two non-linear parts using the freedom from both branches internal states and a few message words
- step 2 From this **starting point**, merge the two branches using some remaining free message words
- step 3 Handle probabilistically the linear part in both branches





ightarrow we need to obtain $2^{30.32}$ solutions of the merging system

- step 1 Satisfy the two non-linear parts using the freedom from both branches internal states and a few message words
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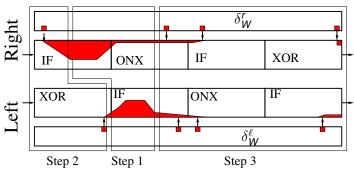
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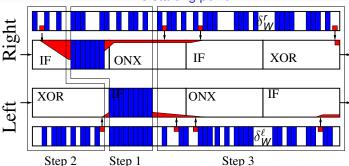
Merging the two branches (step 2)



- step 1 Satisfy the two non-linear parts using the freedom from both branches internal states and a few message words
- step 2 From this starting point, merge the two branches using some remaining free message words
- step 3 Handle probabilistically the linear part in both branches



The starting point



What is fixed?

Message m_{12} , m_3 , m_{10} , m_1 , m_8 , m_{15} , m_6 , m_{13} , m_4 , m_{11} , m_7 .

Left State (X_{12},\ldots,X_{24})

Right State $(Y_3, Y_4, \ldots, Y_{14})$.

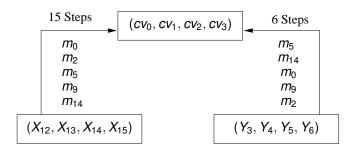
What is free?

Message $m_0, m_2, m_5, m_9, m_{14}$.



Prepare the merging system

The system is quite complex:

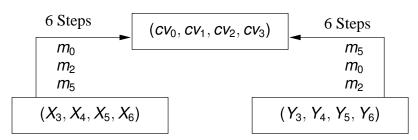


The probability that a random choice of m_0 , m_2 , m_5 , m_9 , m_{14} gives a solution is

$$2^{-128}$$

Reducing the merging system

- in the search for a starting point (step 1), we chose m_{11} such that: $Y_3 = Y_4$
- randomly chose a m_{14} value and deduce m_9 such that: $X_5^{>>>5} \boxminus m_4 = 0 \times \text{fffffff}$
- \rightarrow the system becomes $\frac{\text{much simpler}}{\text{simpler}}$ and represents less steps of the compression function.



The goal now is to find m_0 , m_2 , m_5 such that

$$X_i = Y_i \text{ for } i \in \{-3, -2, -1, 0\}$$

| | <i>X</i> ₀ | Y_0 | X_{-1} | Y_{-1} | <i>X</i> ₋₂ | Y_{-2} | X_{-3} | Y_{-3} |
|-------|-----------------------|----------|----------|----------|------------------------|----------|----------|----------|
| m_2 | | √ | √ | √ | √ | ✓ | √ | √ |
| m_0 | | √ | | | | | √ | |
| m_5 | | l ' | | | √ | | √ | √ |

- 1. find a value of m_2 that verifies $X_{-1} = Y_{-1}$
- 2. deduce m_0 to fulfill $X_0 = Y_0$
- 3. obtain m_5 to satisfy a combination of $X_{-2} = Y_{-2}$ and $X_{-3} = Y_{-3}$
- 4. finally the 4^{th} equation is verified with probability 2^{-32}



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| | <i>X</i> ₀ | Y_0 | <i>X</i> ₋₁ | Y_{-1} | <i>X</i> ₋₂ | Y_{-2} | X_{-3} | Y_{-3} |
|-------|-----------------------|--------------|------------------------|----------|------------------------|--------------|----------|----------|
| m_2 | | \checkmark | √ | √ | √ | \checkmark | √ | √ |
| m_0 | | √ | | | | | √ | |
| m_5 | | | | | √ | | √ | ✓ |

- 1. find a value of m_2 that verifies $X_{-1} = Y_{-1}$
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The goal now is to find m_0 , m_2 , m_5 such that

$$X_i = Y_i \text{ for } i \in \{-3, -2, -1, 0\}$$

| | X_0 | Y_0 | X_{-1} | Y_{-1} | X_{-2} | Y_{-2} | <i>X</i> ₋₃ | Y_{-3} |
|-------|-------|--------------|-----------|--------------|----------|-----------|------------------------|--------------|
| m_2 | | \checkmark | $\sqrt{}$ | \checkmark | √ | $\sqrt{}$ | $\sqrt{}$ | \checkmark |
| m_0 | | √ | | | | | √ | |
| m_5 | | l | | | √ | l | √ | √ |

- 1. find a value of m_2 that verifies $X_{-1} = Y_{-1}$
- 2. deduce m_0 to fulfill $X_0 = Y_0$
- 3. obtain m_5 to satisfy a combination of $X_{-2} = Y_{-2}$ and $X_{-3} = Y_{-3}$
- 4. finally the 4^{th} equation is verified with probability 2^{-32}



The goal now is to find m_0 , m_2 , m_5 such that

$$X_i = Y_i \text{ for } i \in \{-3, -2, -1, 0\}$$

| | X_0 | Y_0 | X_{-1} | Y_{-1} | X_{-2} | Y_{-2} | <i>X</i> ₋₃ | Y_{-3} |
|-------|-------|--------------|-----------|--------------|----------|-----------|------------------------|--------------|
| m_2 | | \checkmark | $\sqrt{}$ | \checkmark | √ | $\sqrt{}$ | $\sqrt{}$ | \checkmark |
| m_0 | | \checkmark | | | | | $\sqrt{}$ | |
| m_5 | | l | | | √ | l | √ | ✓ |

- 1. find a value of m_2 that verifies $X_{-1} = Y_{-1}$
- 2. deduce m_0 to fulfill $X_0 = Y_0$
- 3. obtain m_5 to satisfy a combination of $X_{-2} = Y_{-2}$ and $X_{-3} = Y_{-3}$
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|-------|-------|--------------|-----------|--------------|----------|-----------|------------------------|-----------------|
| m_2 | | \checkmark | $\sqrt{}$ | \checkmark | √ | $\sqrt{}$ | √ | \checkmark |
| m_0 | | \checkmark | | | | | √ | |
| m_5 | | l | | | V | l | $\sqrt{}$ | √ |

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Complexity of the semi-free-start collision attack

- Solving the merging system costs 19 RIPEMD-128 step computations (19/128 of the compression function cost).
- The probability of success of the merging is 2⁻³⁴ (because of 4th equation and 2 extra hidden bit conditions)
- We need to find 2^{30.32} solutions of the merging system.

The total complexity is therefore

$$19/128\times 2^{34}\times 2^{30.32}\simeq 2^{61.57}$$

calls to the compression function.

Description of RIPEMD-128

Finding a differential path
Finding a message difference
Finding the non-linear part

Finding a conforming pair Generating a starting point Merging the 2 branches

Conclusion

Conclusion

This work:

- a new cryptanalysis technique for parallel branches based functions
- a collision attack on the full compression function of RIPEMD-128
- a distinguisher on the hash function of RIPEMD-128
- a LOT of details (many not described here)

Perspectives:

- improvements of this technique
- an example of collision for RIPEMD-128?
- apply to other 2-branch hash functions
- what about RIPEMD-160?



Conclusion

Cryptanalysis of RIPEMD-160

Thomas Peyrin

joint work with F. Mendel, M. Schläffer, L. Wang and S. Wu

(accepted at Asiacrypt 2013)

ChinaCrypt 2013

Fuzhou, China - October 25, 2013





Results on RIPEMD-160 compression function

RIPEMD-160 parameters:

Digest 160 bits

Steps 80 steps (5 rounds of 16 steps each)

Known and new results on RIPEMD-160 compression function:

| Target | #Steps | Complexity | Ref. |
|---------------------------|--------|-------------------|---------|
| semi-free-start collision | 36 | low (practical) | [MNS12] |
| 1 st round | | | |
| semi-free-start collision | 36 | 2 ^{70.4} | new |
| semi-free-start collision | 42 | 2 ^{75.5} | new |

RIPEMD-160 >> RIPEMD-128

Why are the improvements far less impressive for RIPEMD-160?

The technique we applied on RIPEMD-128 is much harder to apply on RIPEMD-160:

- finding non-linear parts is more difficult than for RIPEMD-128
- evaluating the probability of a differential path is hard (because two additions are interlinked)
- ... so more complicated to have a global view of what will and what won't work when trying to organize the attack

On top of that, RIPEMD-160 has

- better diffusion (impossible to force no diffusion, even in IF rounds)
- more steps ...



Thank you for your attention!

We are looking for good PhD students in symmetric key crypto.

If interested, please contact me at: thomas.peyrin@ntu.edu.sg

